

MMFORWILD 2020

MultiMedia FORensics in the WILD (MMForWILD) 2020

A Walk on the Wild Side of Camera Attribution

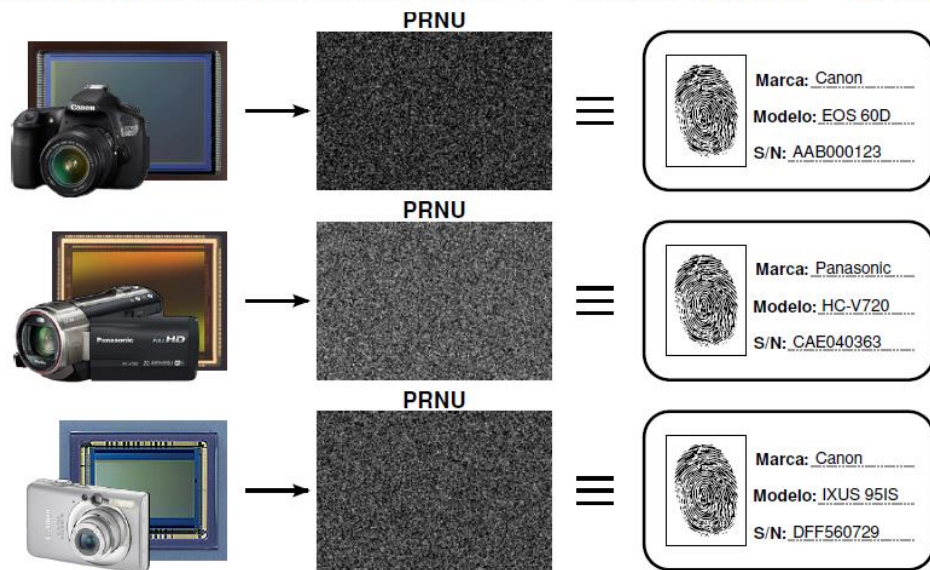
Fernando Pérez-González

AtlanTTic Research Center

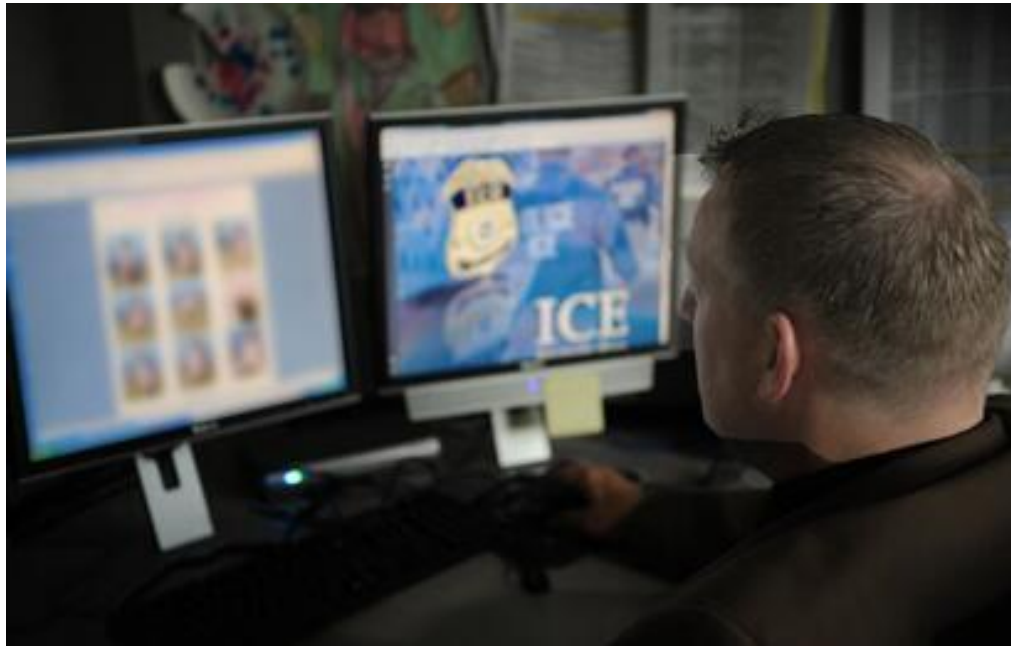
University of Vigo - Spain

Camera attribution with the PRNU

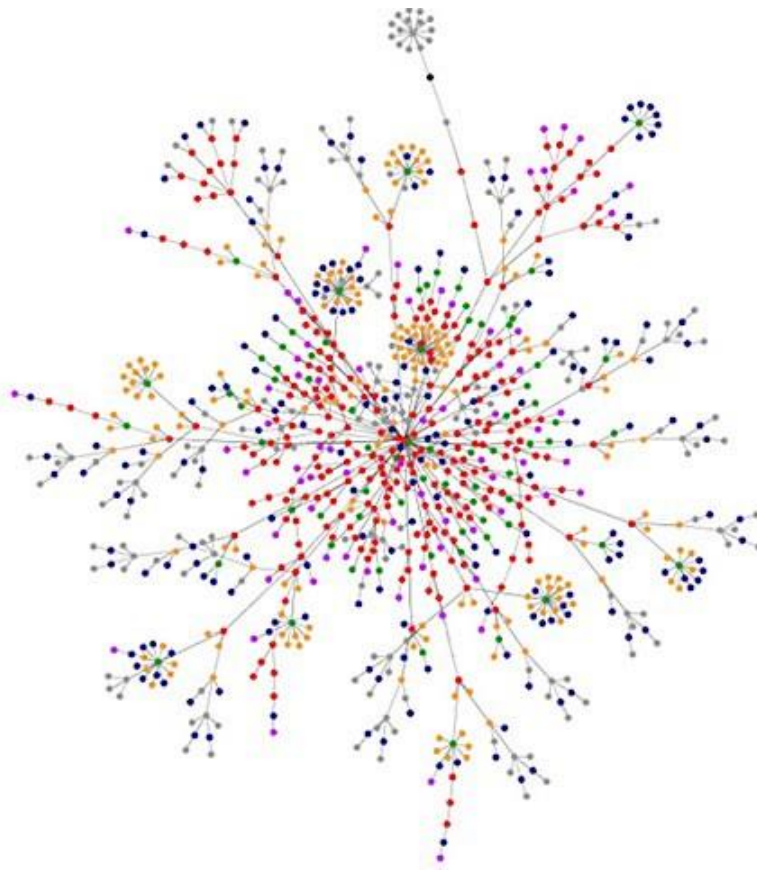
- ◆ Practically all (CMOS, CCD, etc.) have an intrinsic noise pattern: PRNU (Photo Response Non Uniformity)
 - ★ **PRNU properties:** robustness, stability, universality
 - ★ Can be used for forensic camera attribution due to its uniqueness.



Forensic uses (e.g. fight against child abuse)



Social Network Analysis for Law Enforcement



Digital onboarding



Biometric proof-of-life



Insurance damage reporting









The two fundamental hypotheses in camera attribution

- ① The PRNU is a sort of **multiplicative noise**:

Output pixel $\longrightarrow y(i, j) \approx x(i, j) + x(i, j) \overset{\text{PRNU}}{k(i, j)} + n(i, j) \longleftarrow \text{noise}$

Pristine image

or

$$\mathbf{Y} \approx (\mathbf{1} + \mathbf{K}) \circ \mathbf{X} + \mathbf{N},$$

- ② The PRNU is unique, i.e., for any two devices with PRNUs $\mathbf{K}_1, \mathbf{K}_2$

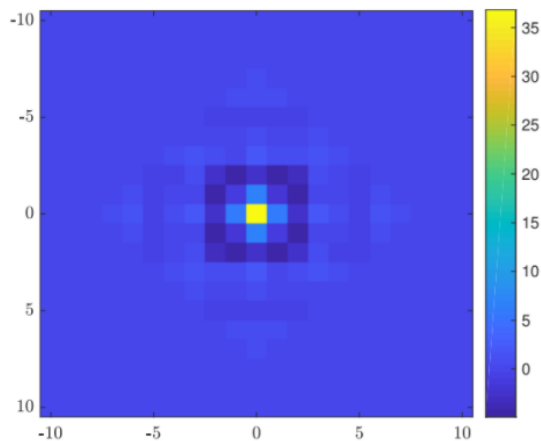
$$\langle \mathbf{K}_1, \mathbf{K}_2 \rangle_F \ll \|\mathbf{K}_1\|_F; \quad \langle \mathbf{K}_1, \mathbf{K}_2 \rangle_F \ll \|\mathbf{K}_2\|_F$$

Sir, may I know what are your hypotheses?

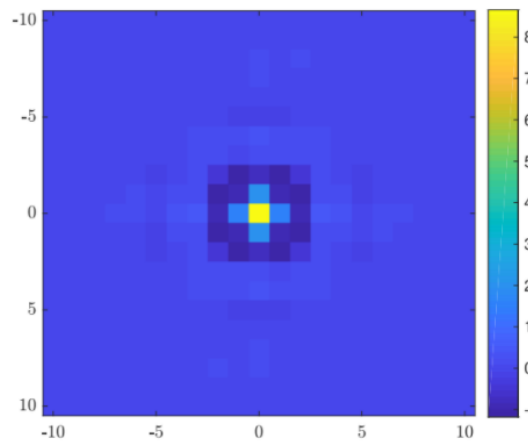


Additional hypothesis

- ③ The PRNU is zero-mean, Gaussian and nearly-white, i.e., for lags outside a small neighborhood of the origin \mathcal{L} (s.t. $|\mathcal{L}| \ll N_1 \times N_2$) the autocorrelation is almost zero.



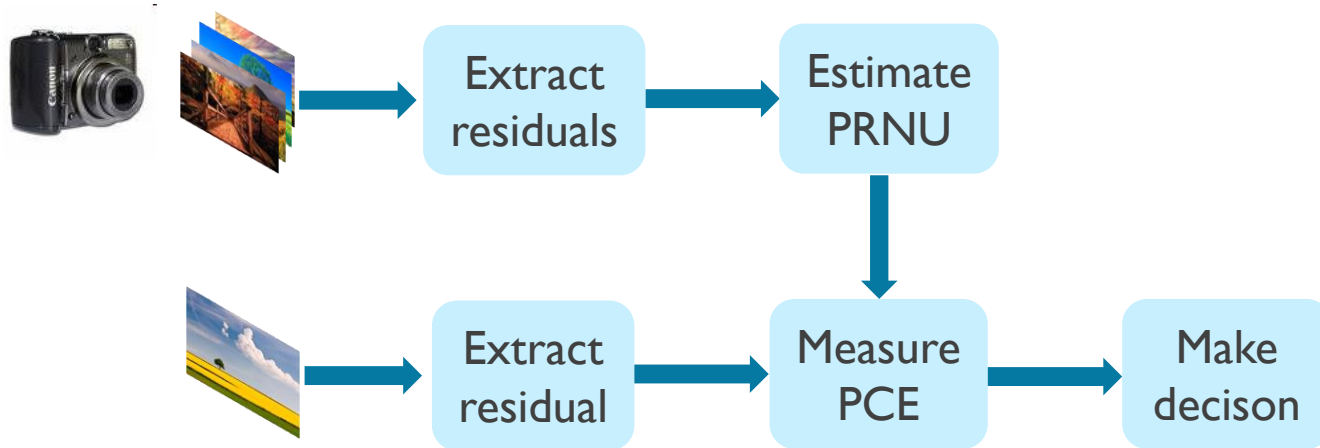
(a) $R_{\hat{k}}, L = 50$.



(b) $R_{\hat{k}}, L = 1000$.

Estimated autocorrelation of the PRNU for a Nikon D60 camera

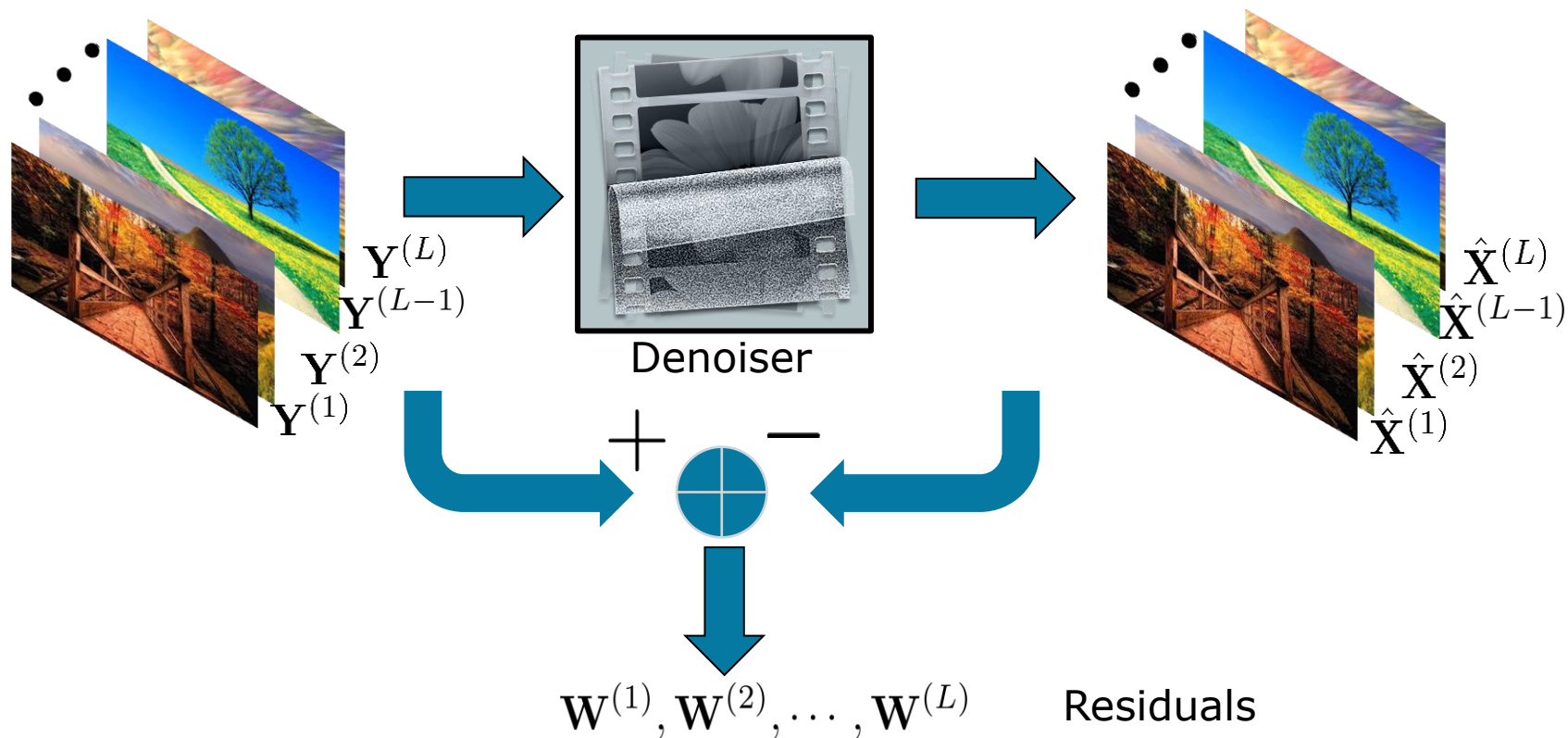
Camera attribution workflow



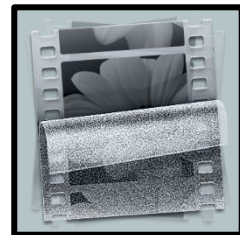
But sir, I heard something about residuals. Is that chemical residuals?



Residual computation [Lukás06]



Many options for the denoising



- ◆ [Mihcak99] wavelet-based (4-level 8-tap Daubechies QMF).
- ◆ [Kang 14] 8-neighbour context-adaptive interpolation (CAI).
- ◆ [Al-Ani 15] similar-pixel opposite-sign PRNU in a neighborhood.
- ◆ [He 13] content-adaptive guided filtering (CAGI).
- ◆ [Perona90] anisotropic diffusion.
- ◆ [Rudin94] total variation filtering.
- ◆ [Dabov 07] block-matching and 3D filtering (BM3D).
- ◆ [Alparone06] MMSE for multiplicative noise in the wavelet domain.
- ◆ ...

And several comparisons

- ◆ [Amerini09], [Cortiana11], [Al-Ani17]...
- ◆ **Main conclusion:** BM3D performs best but is computationally very expensive; Mihcak's is the most popular, but CAGI is worth exploring further.

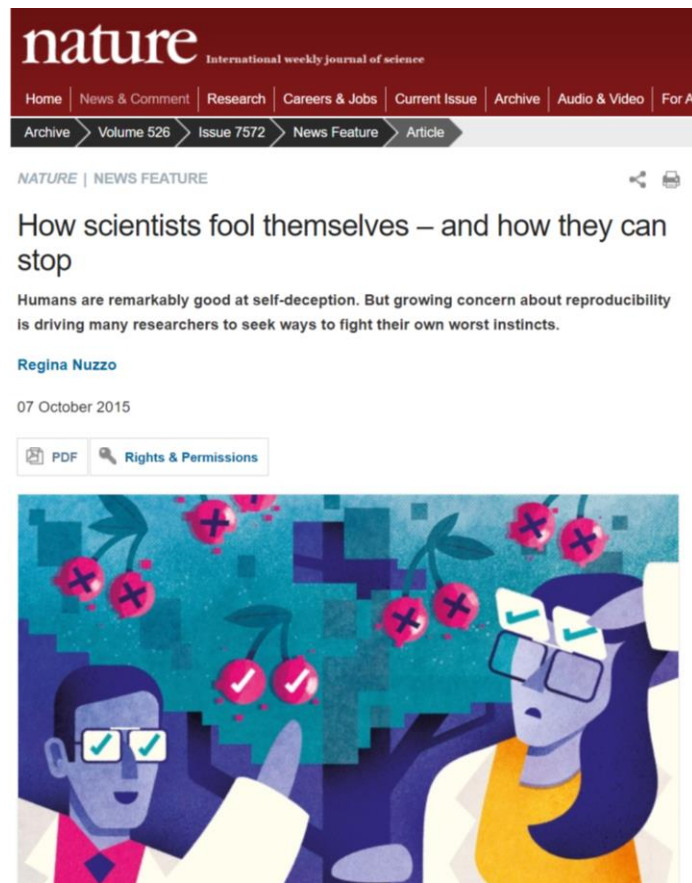
	TPR @ 1e-03	EER	CPU time (ms)
BM3D	83.9%	4.9%	4273
Mihcak	70.9%	7.3%	1105
CAGI	70.5%	9.5%	138
TV	58.9%	8.0%	22
Similar pixel	51.2%	13.7%	920
CAI	24.3%	14.8%	4074

My wife says that you check for asymmetric attention bias!



A note on asymmetric attention bias

- ◆ “Asymmetric attention to detail. Sometimes known as disconfirmation bias, this happens when we give expected results a relatively free pass, but we rigorously check non-intuitive results.”



PRNU estimation [Chen08]

- ◆ After the denoising the standard model goes like this:

$$\mathbf{W}^{(i)} = \mathbf{K} \circ \mathbf{X}^{(i)} + \mathbf{N}^{(i)}$$

- ◆ And if the noise is i.i.d. Gaussian, uncorrelated with $\mathbf{X}^{(i)}$ and \mathbf{K} the Maximum Likelihood Estimator is

$$\hat{\mathbf{K}} = \frac{\sum_{i=1}^L \mathbf{W}^{(i)} \circ \hat{\mathbf{X}}^{(i)}}{\sum_{i=1}^L \hat{\mathbf{X}}^{(i)} \circ \hat{\mathbf{X}}^{(i)}} \quad \leftarrow \text{Sample-wise division}$$

- ◆ For residuals with different noise variances $\{\sigma_i^2\}_{i=1}^L$

$$\hat{\mathbf{K}} = \frac{\sum_{i=1}^L \mathbf{W}^{(i)} \circ \hat{\mathbf{X}}^{(i)} / \sigma_i^2}{\sum_{i=1}^L \hat{\mathbf{X}}^{(i)} \circ \hat{\mathbf{X}}^{(i)} / \sigma_i^2}$$

PRNU estimation

- ◆ Why then the simple averaging of residuals [Lukás06]

$$\hat{\mathbf{K}} = \frac{1}{L} \sum_{i=1}^L \mathbf{w}^{(i)}$$

is almost as good an estimate?

- ◆ Maybe we should revise our model for the “wild” case:

$$\mathbf{w}^{(i)} = \mathbf{K} \circ \mathbf{X}^{(i)} + \alpha(\mathbf{X}^{(i)} - \mathbb{E}\{\mathbf{X}^{(i)}\}) + \mathbf{N}^{(i)}$$

- ◆ Notice that multiplying by $\mathbf{X}^{(i)}$ also increases the ‘noise’ part.

But something
doesn't fit here, sir



PRNU detection [Goljan08], [Kang12]

- By far, the most popular detector is based on the PCE. Formally, given the test-image residual \mathbf{W}_t and the estimated fingerprint $\hat{\mathbf{X}}_t \circ \hat{\mathbf{K}}$ it first computes the NCC

PCE: Peak to Correlation Energy

$$\rho(i, j) \doteq \frac{\langle \Delta_{i,j}(\mathbf{W}_t) - \mathbb{E}\{\mathbf{W}_t\}, \hat{\mathbf{X}}_t \circ \hat{\mathbf{K}} - \mathbb{E}\{\hat{\mathbf{X}}_t \circ \hat{\mathbf{K}}\} \rangle_F}{\|\mathbf{W}_t - \mathbb{E}\{\mathbf{W}_t\}\|_F \cdot \|\hat{\mathbf{X}}_t \circ \hat{\mathbf{K}} - \mathbb{E}\{\hat{\mathbf{X}}_t \circ \hat{\mathbf{K}}\}\|_F}$$

with $\Delta_{i,j}$ the operator cyclic shift by (i, j) .

- Then, the Signed PCE (SPCE) is

$$\text{SPCE}(\mathbf{W}_t, \hat{\mathbf{X}}_t \circ \hat{\mathbf{K}}) = \frac{\rho(0, 0)}{\left(\frac{1}{N_1 \times N_2 - |\mathcal{L}|} \sum_{(i,j) \notin \mathcal{L}} \rho^2(i, j) \right)^{1/2}}$$

So why the NCC alone works so well?



Simplifications

- ◆ The denominator of the SPCE estimates the std under H_0 . But since $\Delta_{i,j}(\mathbf{W}_t) - \mathbb{E}\{\mathbf{W}_t\}$ and $\hat{\mathbf{X}}_t \circ \hat{\mathbf{K}} - \mathbb{E}\{\hat{\mathbf{X}}_t \circ \hat{\mathbf{K}}\}$ are uncorrelated for $(i, j) \notin \mathcal{L}$, we can approximate

$$\left(\frac{1}{N_1 \times N_2 - |\mathcal{L}|} \sum_{(i,j) \notin \mathcal{L}} \rho^2(i, j) \right)^{1/2} \approx 1 \quad \text{if } N_1 \times N_2 - |\mathcal{L}| \gg 1$$

- ◆ Thus

$$\text{SPCE} \approx \rho(0, 0)$$

The importance of signal contamination

- ◆ Assume zero-mean residual and PRNU. In **detection** we must compute $\langle \mathbf{W}_t, \hat{\mathbf{X}}_t \circ \hat{\mathbf{K}} \rangle_F$. Remembering the new model proposed for the wild case:

$$\mathbf{W}_t = \mathbf{K} \circ \mathbf{X}_t + \alpha(\mathbf{X}_t - \mathbb{E}\{\mathbf{X}_t\}) + \mathbf{N}_t$$

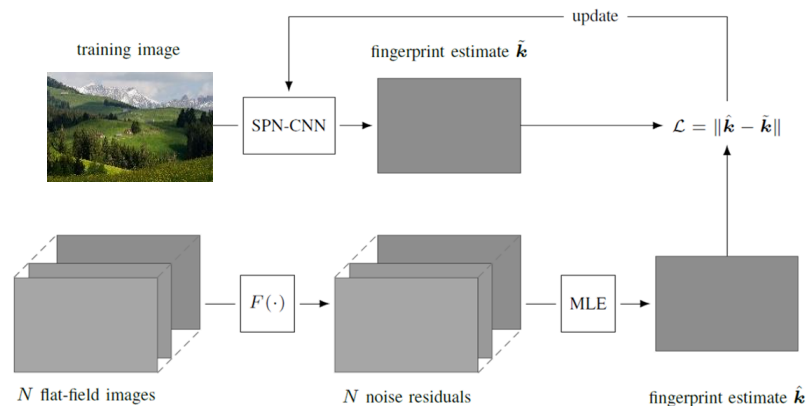
- ◆ The variance of the pure noise terms $\langle \mathbf{N}_t, \mathbf{X}_t \circ \hat{\mathbf{K}} \rangle_F$ depends on $\mathbb{E}\{X_t^2\}$
- ◆ But the variance of the leakage terms $\langle \alpha(\mathbf{X}_t - \mathbb{E}\{\mathbf{X}_t\}), \mathbf{X}_t \circ \hat{\mathbf{K}} \rangle_F$ depends on $\mathbb{E}\{X_t^4\} + \mathbb{E}^2\{X_t\}\mathbb{E}\{X_t^2\}$

Under some mild symmetry conditions



A takeaway

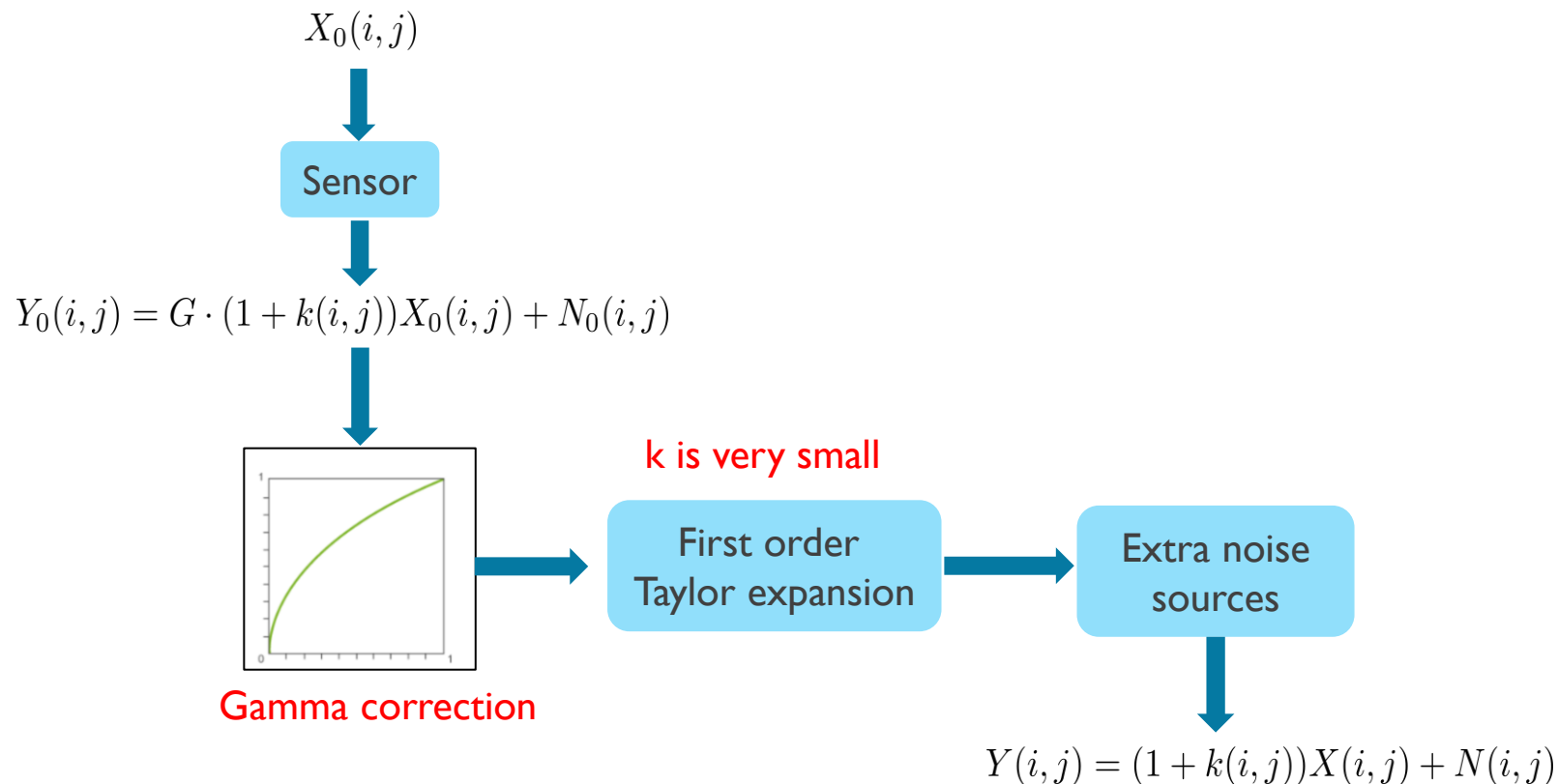
- ◆ An optimal denoiser (e.g., in MMSE sense) is not necessarily optimal for PRNU detection! (correlation of residual with \mathbf{X}_t also counts)
- ◆ May explain why state-of-the-art DNN denoisers give no apparent advantage w.r.t. BM3D in this scenario [Kirchner19].
- ◆ And may explain the excellent performance of the SP-CNN denoiser in [Kirchner19] (albeit not suitable for wild scenarios):





Gee, whiz! Perhaps you
should also check your
FUNDAMENTAL
hypotheses, sir!

I. The multiplicative dependence [Chen08]



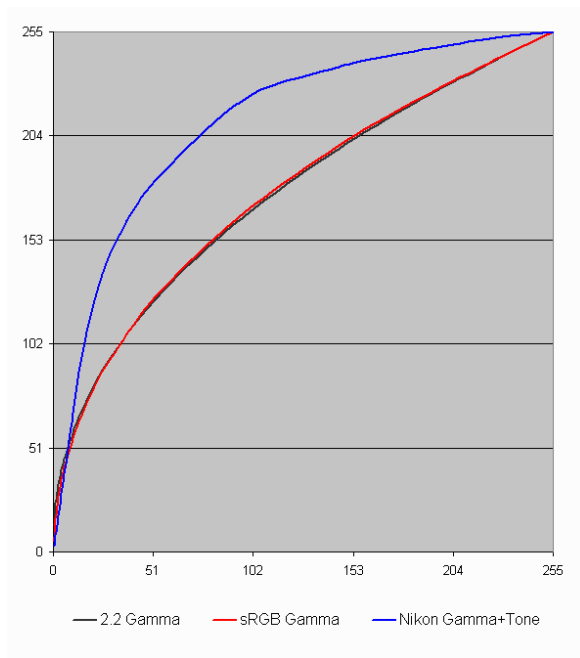
The gamma-response lemma [Pérez-González21]

- ◆ Let $y = h(x)$ be the (monotonic) camera response function. If the input is of the form $(1 + k)x$ with $k \ll 1$, then the output is of the form $y(1 + ck)$ for some constant c **if and only if** $h(x) = c_1 x^\gamma$, with c_1, γ constants.
- ◆ In other words: (1+PRNU) is multiplicative **if and only if** the camera response function is a pure gamma correction.
- ◆ Therefore, in general there is a function $g(\cdot)$ such that

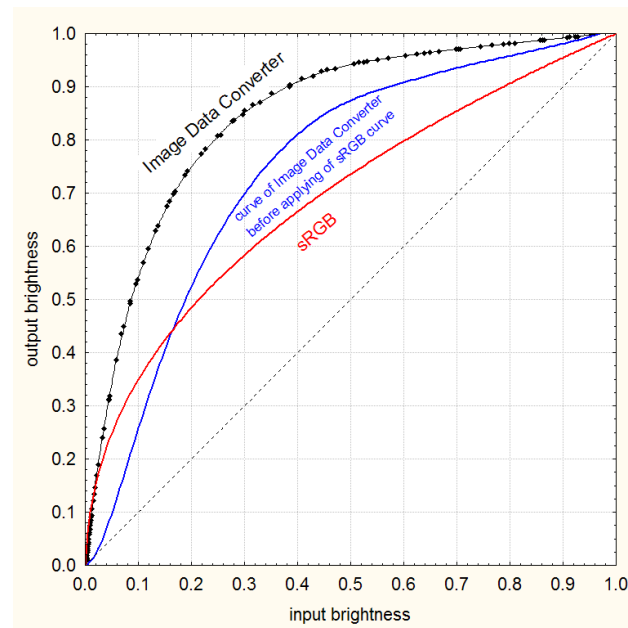
$$Y(i, j) = X(i, j) + k(i, j) \cdot g(X(i, j)) + N(i, j)$$

[Pérez-González21] Resolution for 2021: I promise I will write it and submit it.

Camera response functions



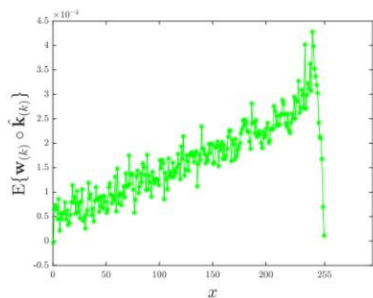
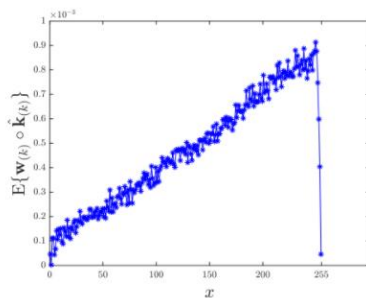
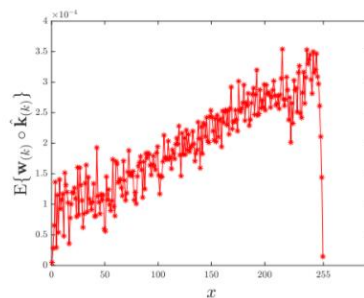
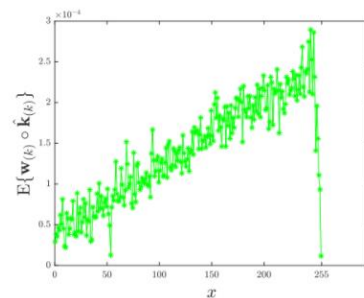
Nikon



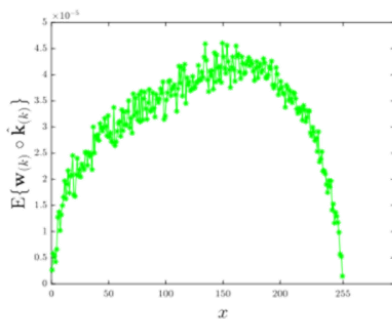
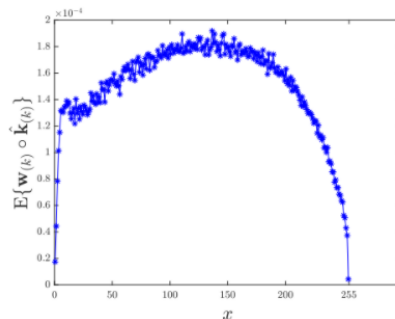
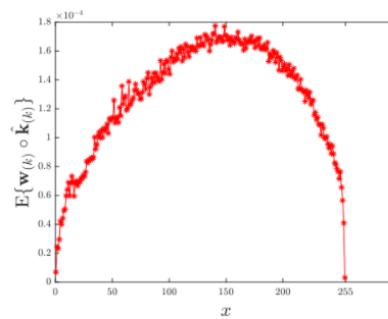
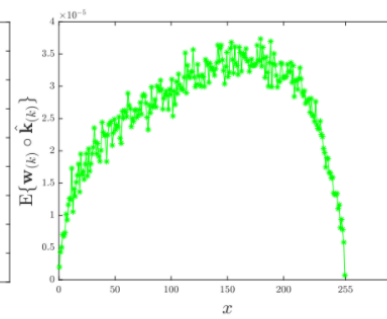
Sony NEX-5

Function $g(\cdot)$

Nikon D60 RAW

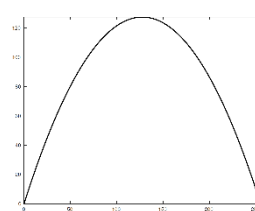
(i) TIFF-DC, $ph = (1, 1)$ (j) TIFF-DC, $ph = (1, 2)$ (k) TIFF-DC, $ph = (2, 1)$ (l) TIFF-DC, $ph = (2, 2)$

Nikon D7000 TIFF

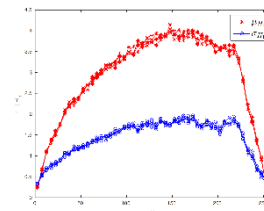
(e) G $ph = (1, 1)$.(j) B $ph = (1, 2)$.(c) R $ph = (2, 1)$.(h) G $ph = (2, 2)$.

Extraction with $g(\cdot)$

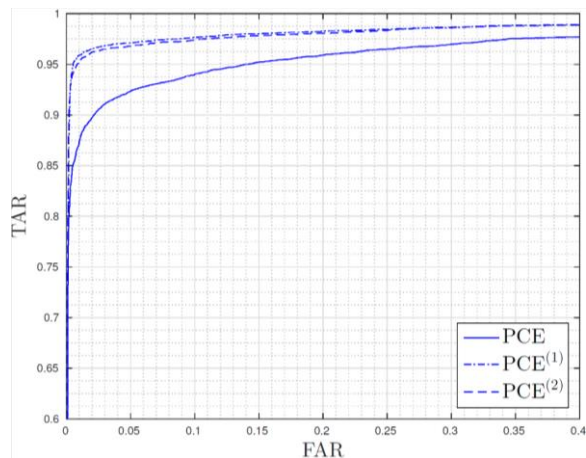
- ◆ Results with TIFF images, cropped to 512x512 patches.



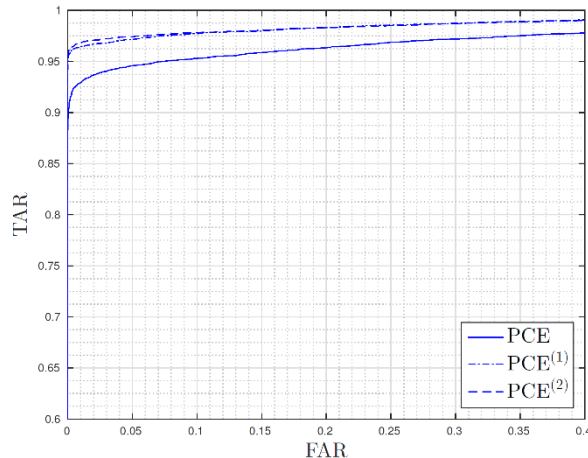
Estimation
with parabola



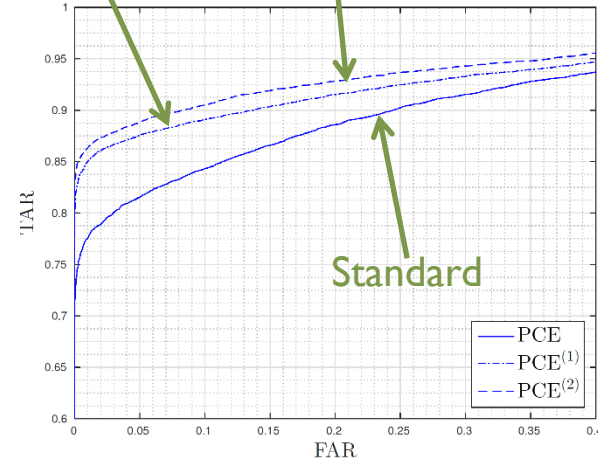
Estimation with $g(x)$



Nikon D3200

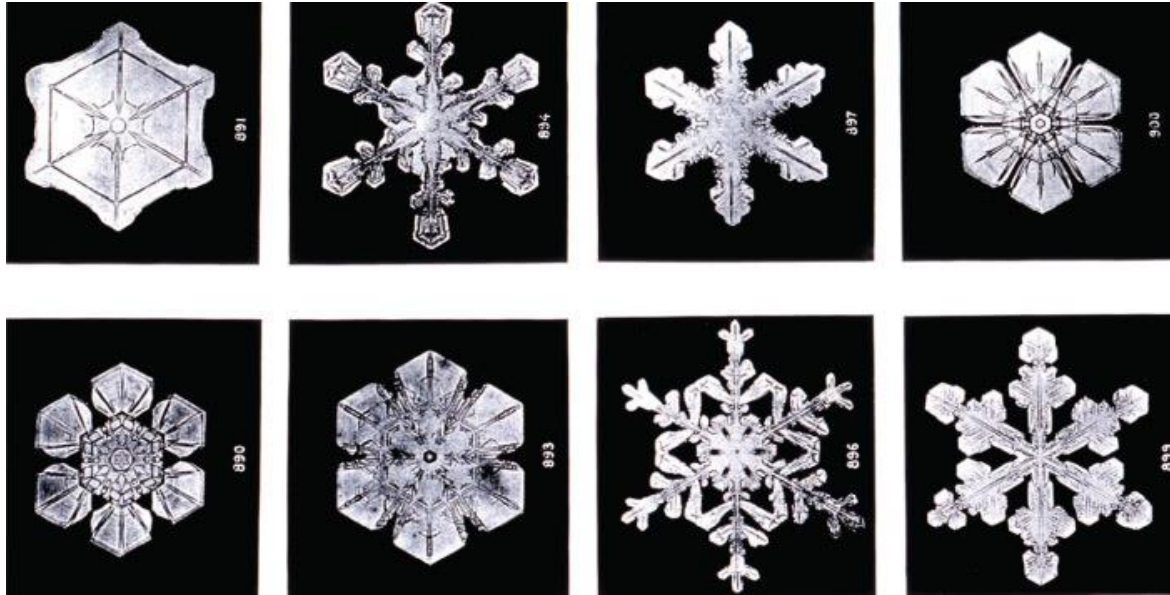


Canon DI 100



Nikon D7000

2. The Snowflake Hypothesis



Sprinkle some s

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DRIVER&#039;S SEAT

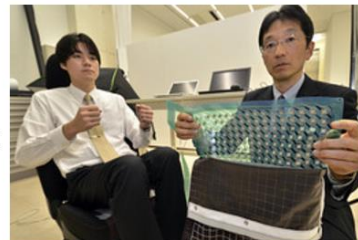
Forget Fingerprints: Car Seat IDs Driver's Rear
End

By Yoree Koh

Jan 18, 2012 1:00 pm ET

If Shigeomi Koshimizu has his way, sometime in the not too distant future car owners may control their vehicles by the seat of their pants.

Literally.



Are FINGERprints really unique?

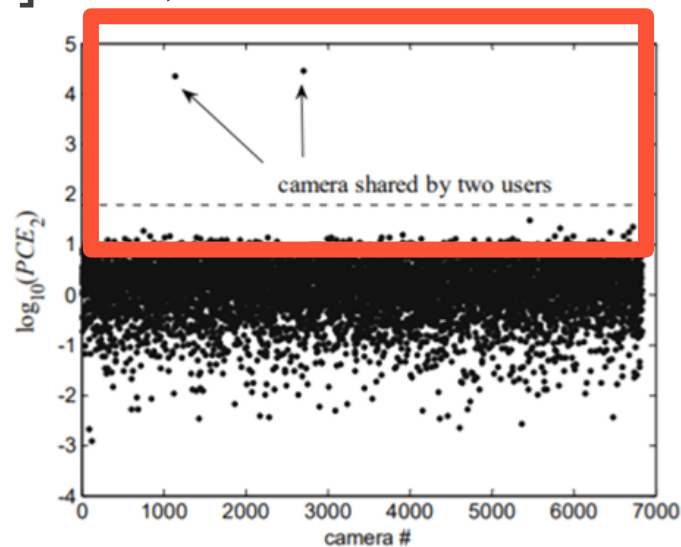
- ◆ US lawyer, Brandon Mayfield, mistakenly detained by FBI in connection with Madrid bombings (March 2004).
- ◆ An FBI supercomputer positively identified one of the Madrid fingerprints on a bag of detonators as Mayfield's.
- ◆ FBI maintained its certainty despite Spanish authorities denied the match.
- ◆ Actually, the fingerprints corresponded to an Algerian man.

Boy, it's terrible!



Is the PRNU a Snowflake?

- ◆ [Goljan09] large-scale analysis with flickr images.
- ◆ Database in the wild: possibly several cameras from same user; images with digital zoom...
- ◆ Images per camera in interval $[60, 200]$ \times $\sim 7,000$ cameras.
- ◆ A few cameras found to be identical.



Study in [Iuliani 20]

- ◆ VISION dataset: 35 devices, 11 brands + Control dataset: 23 smartphones, 17 different models + Flickr dataset: same models as Ctrl dataset and 31 additional models.
- ◆ No collisions reported on VISION, but on fingerprints with Ctrl dataset (PRNUs estimated with 5 flat images), **yes**:

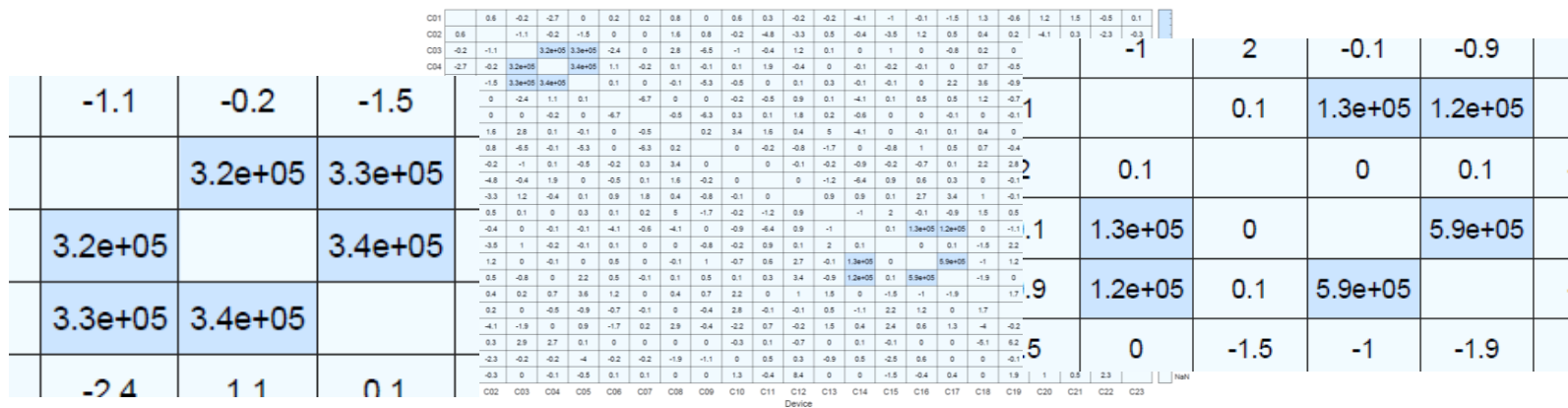
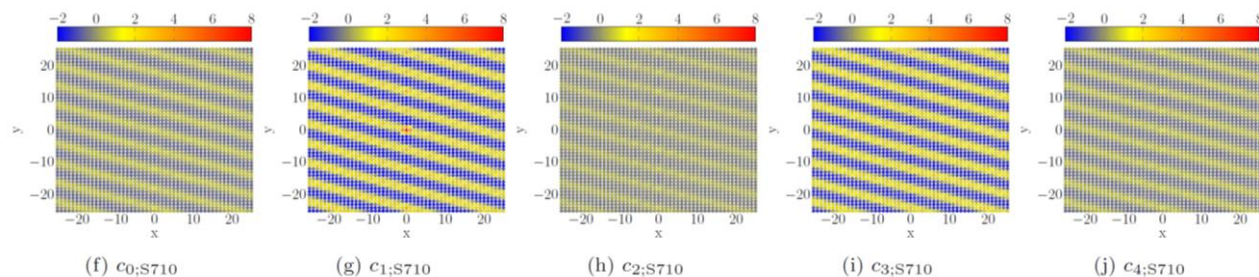


Figure 2: PCE statistics computed among different camera fingerprints in the Control dataset.

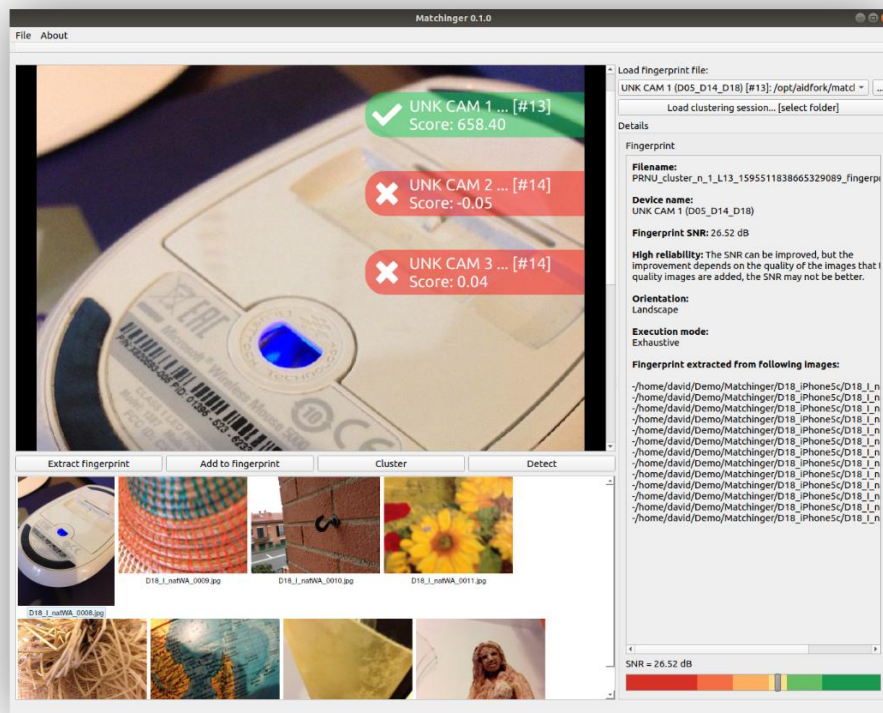
Study in [Iuliani 20]

- ◆ Standard artifacts are removed (by Zero-meaning and Wiener filtering)
- ◆ “For the widely adopted PCE threshold of 60, false positive rates larger than 1% were observed for popular devices belonging to Huawei, Samsung, Nokia, and Xiaomi.”
- ◆ [Gloe12] had found diagonal artifacts not entirely removable with Wiener filtering for a Nikon CoolPix S710 cameras (Dresden dataset)



Xcorrs of an image
from c1;s710 with
PRNUs of other s710's

Our own experience: Matchinger





**Talking
about Wild?
The future is
Wilder!**



The future is wilder

- ◆ Images and videos are more and more subject to really wild conditions:
- ◆ (Strong) compressions.
- ◆ Cropping and scaling.
- ◆ Digital zooming.
- ◆ High dynamic range imaging.
- ◆ Camera stabilization.
- ◆ In-camera/software lens distortion correction.
- ◆ Photo effects.
- ◆ Multicamera imaging.
- ◆ ...




Quasi-homomorphic transformations

◆ If



X_t

$\mathcal{T}_\theta(\cdot)$



$\mathcal{T}_\theta(X_t)$

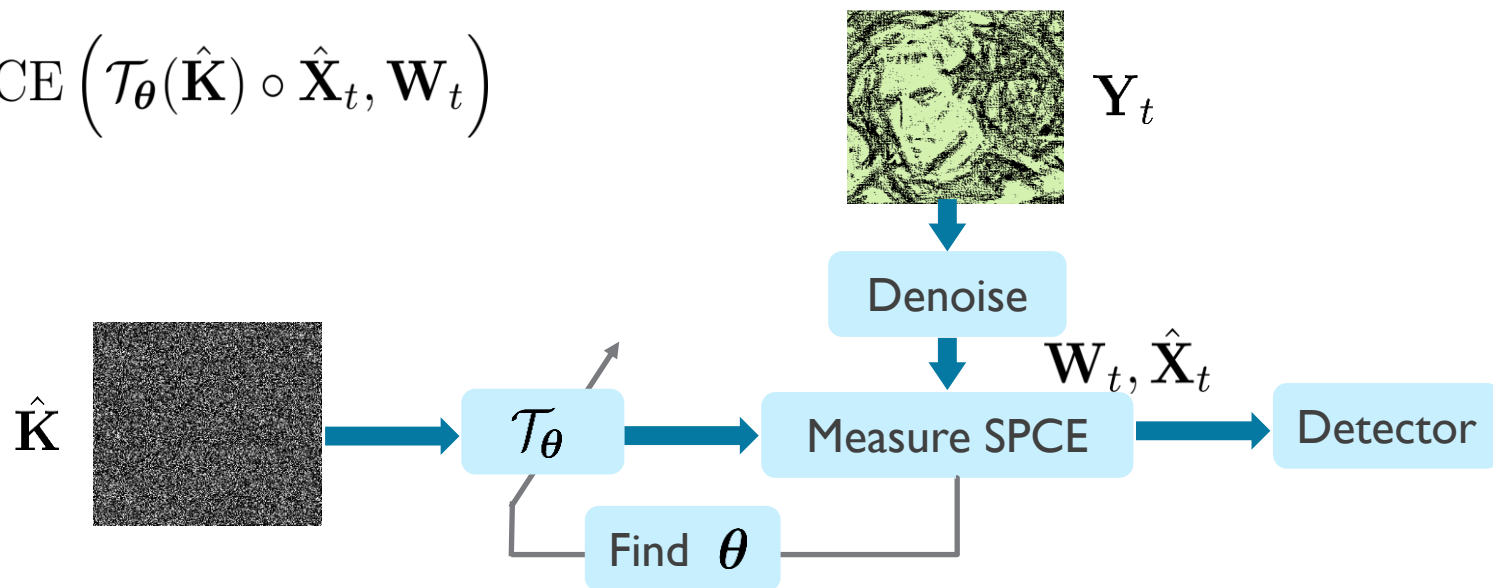
◆ Does

$$\mathcal{T}_\theta(X_t + X_t \circ K) \approx \mathcal{T}_\theta(X_t) + \mathcal{T}_\theta(X_t) \circ \mathcal{T}_\theta(K) \quad ?$$

Direct approach

- ◆ If so, given $\hat{\mathbf{K}}$, the detection statistic (GLRT) becomes:

$$\max_{\theta} \text{SPCE} \left(\mathcal{T}_{\theta}(\hat{\mathbf{K}}) \circ \hat{\mathbf{X}}_t, \mathbf{W}_t \right)$$

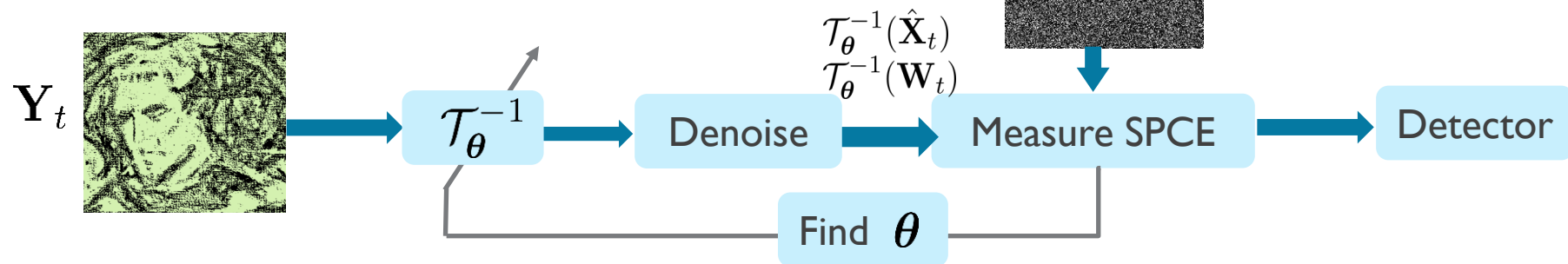


- ◆ The main challenge is to find efficient algorithms for searching the parameter space. Almost whiteness in \mathbf{K} complicates things.

Inverse approach

- ◆ Based on the inverse transformation (provided it exists):

$$\max_{\theta} \text{SPCE} \left(\mathcal{T}_{\theta}^{-1}(\mathbf{W}_t), \hat{\mathbf{K}} \circ \mathcal{T}_{\theta}^{-1}(\hat{\mathbf{X}}_t) \right)$$



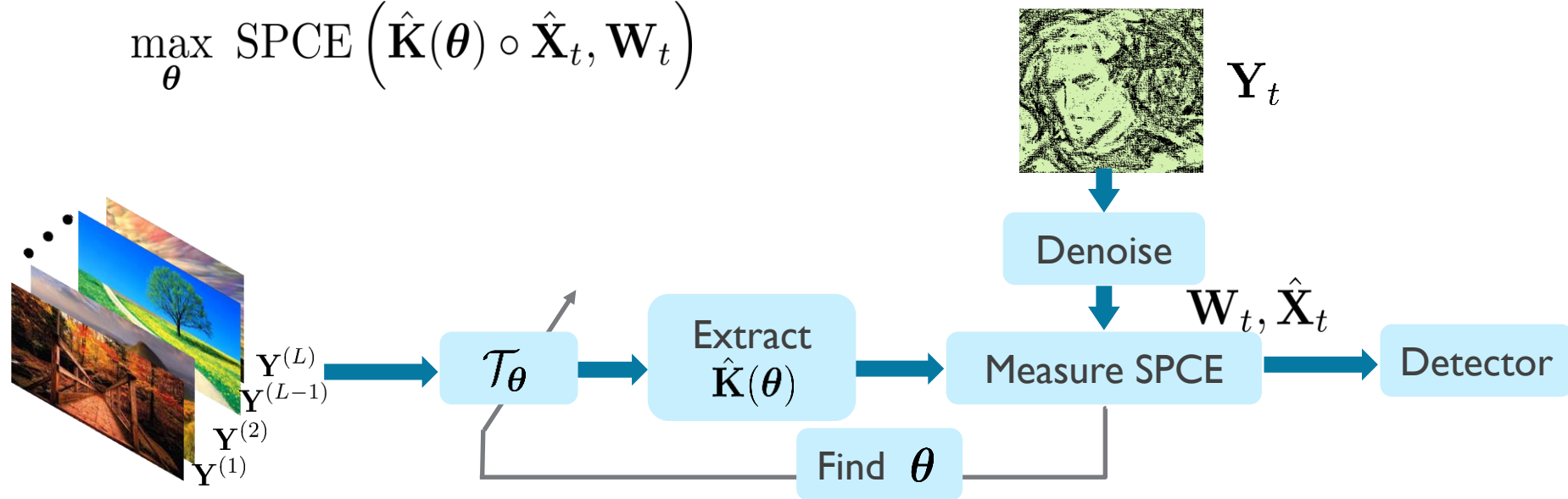
- ◆ This approach requires 1) $\mathcal{T}_{\theta}^{-1}(\cdot)$ to be quasi-homomorphic, and 2) if $\mathbf{Y}_t = \mathbf{W}_t + \hat{\mathbf{X}}_t$, then the denoising of $\mathcal{T}_{\theta}^{-1}(\mathbf{Y}_t)$ yields $\mathcal{T}_{\theta}^{-1}(\hat{\mathbf{X}}_t)$ and $\mathcal{T}_{\theta}^{-1}(\mathbf{W}_t)$.

Non-homomorphic case

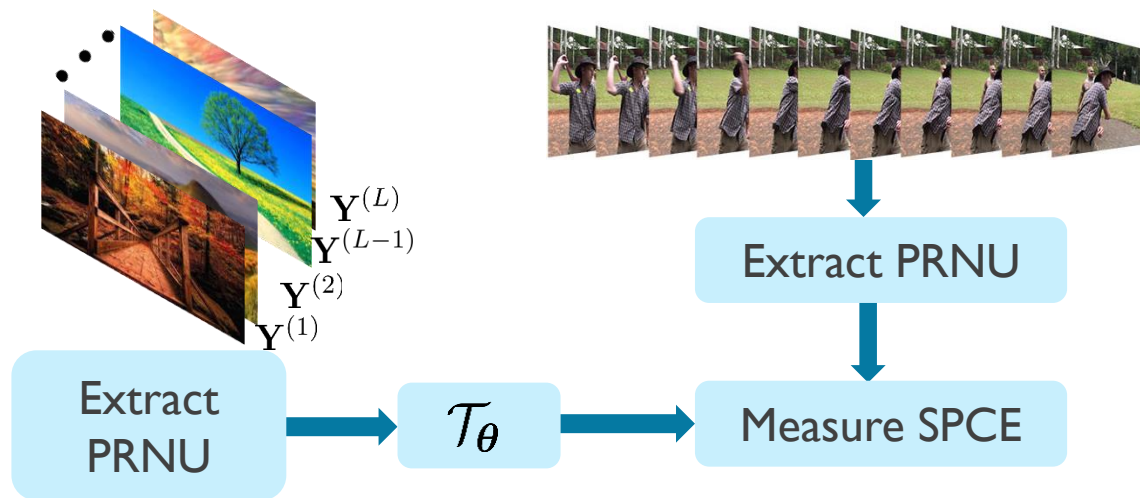
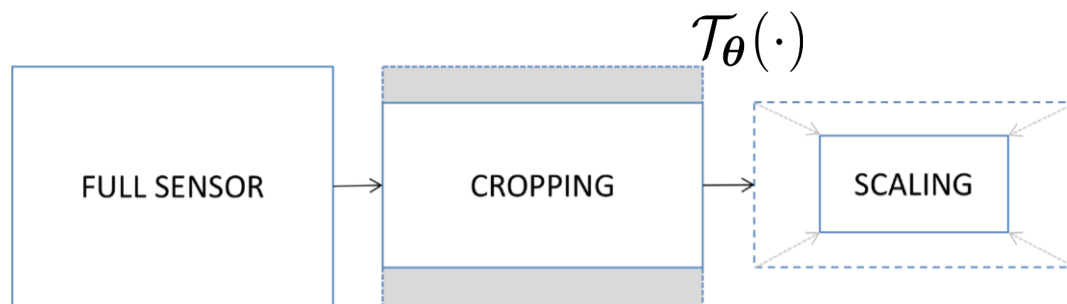
- ◆ In this case, it is much more effective (and expensive) to compute the PRNU from the residuals of transformed images

$$\hat{\mathbf{K}}(\boldsymbol{\theta}) \leftarrow \{\mathcal{T}(\mathbf{Y}^{(i)})\}_{i=1}^L$$

$$\max_{\boldsymbol{\theta}} \text{SPCE} \left(\hat{\mathbf{K}}(\boldsymbol{\theta}) \circ \hat{\mathbf{X}}_t, \mathbf{W}_t \right)$$



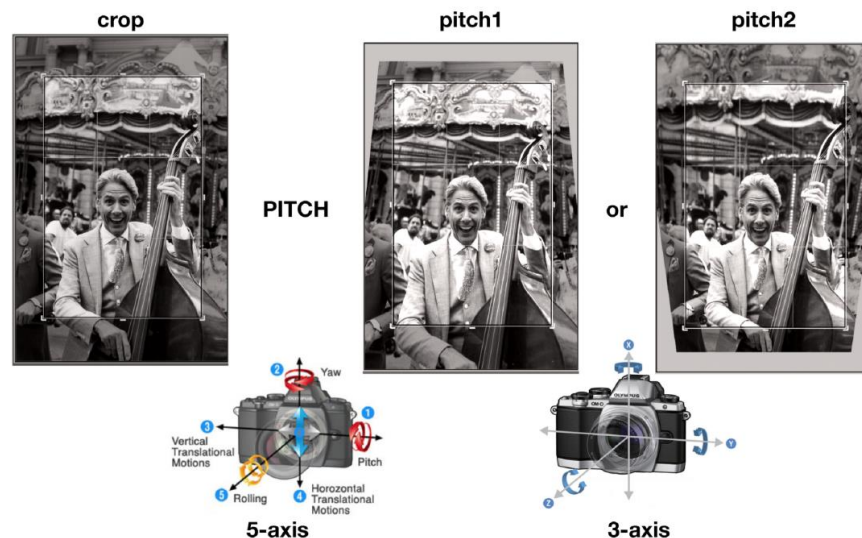
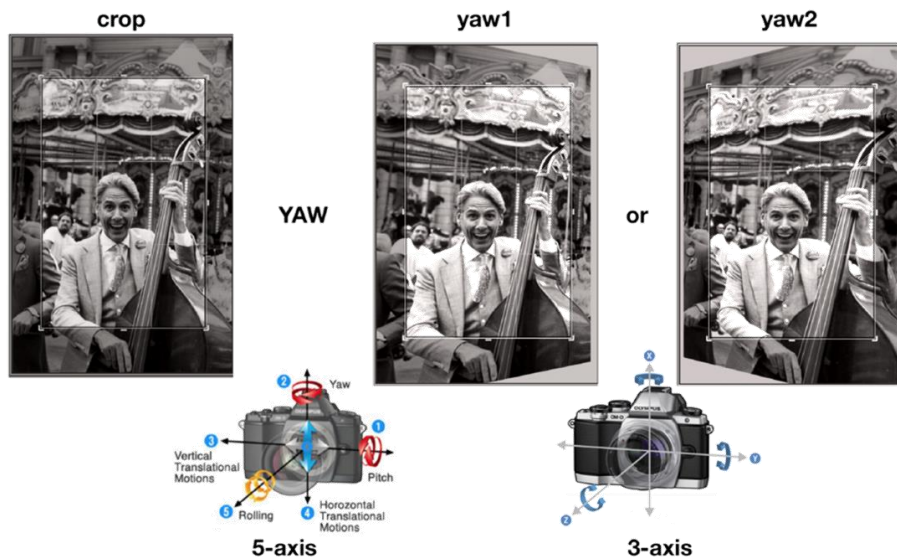
Example: Non-stabilized video, mixed-media



For a conjectured camera this transformation is known, so no exhaustive search is needed!



Example: Stabilized video



Stabilized video

- ◆ [Chuang11]: Use the B frames.
(not just I and P)
- ◆ [Taspinar16] proposed a pure brute-force approach.
- ◆ [Iuliani19]: Use still image PRNU as reference and find θ for each frame. Apply $\mathcal{T}_{\theta}^{-1}$ to register the frame. Use registered frames (with a minimum PRNU strength) to estimate video PRNU.
- ◆ [Mandelli20]: Find best frame for reference PRNU.
- ◆ [Taspinar20]: Integrate several consecutive frames to speed up calculations.



But mind the AUC!

- ◆ AUC does not reflect what happens for low FPRs.

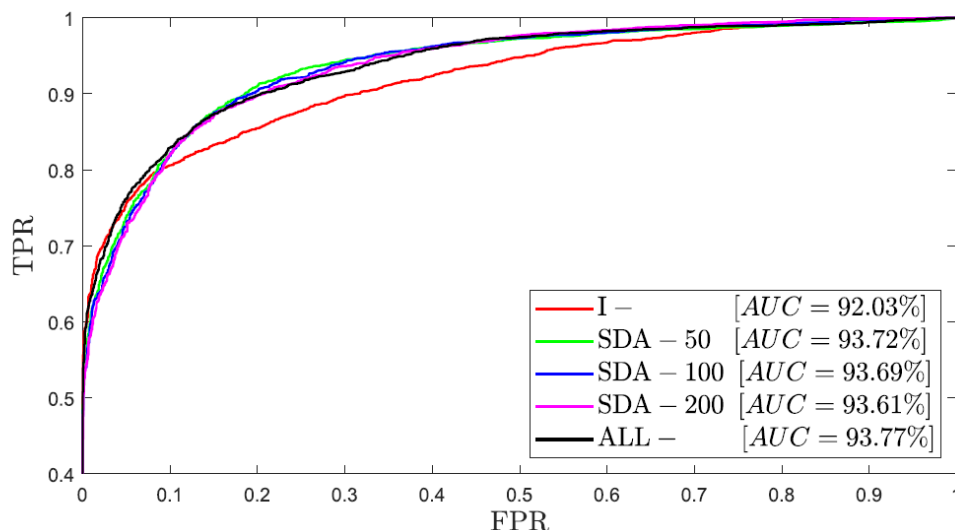
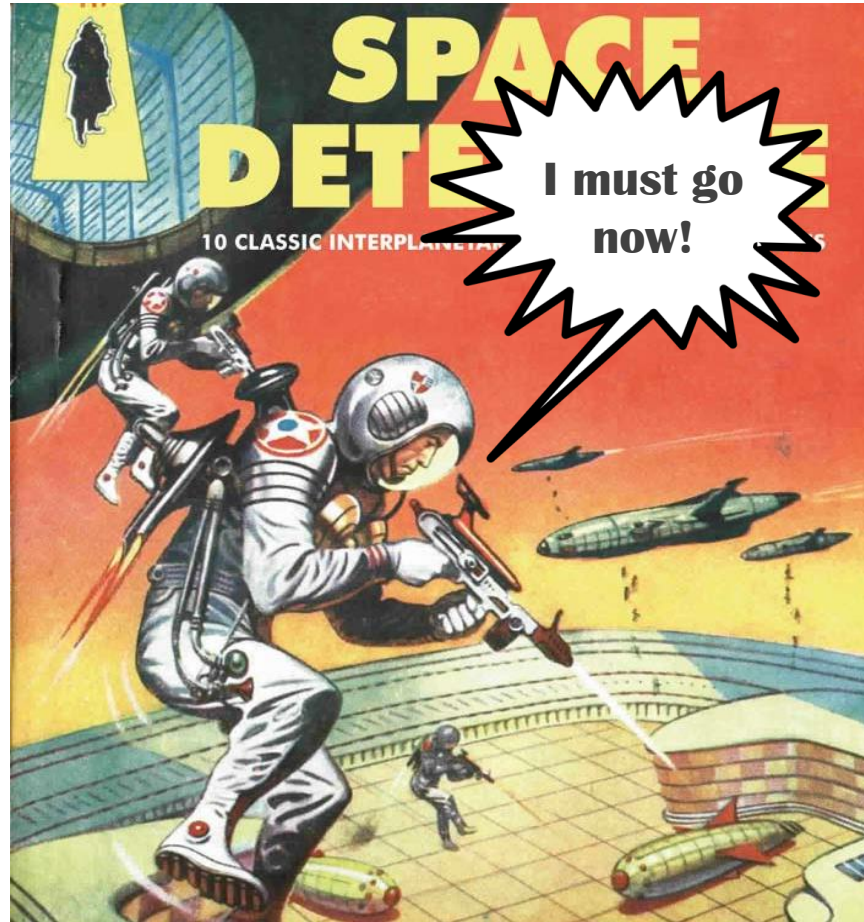
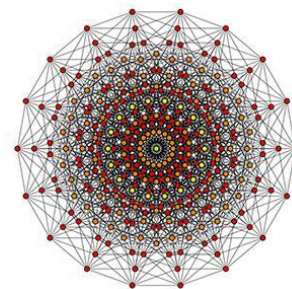
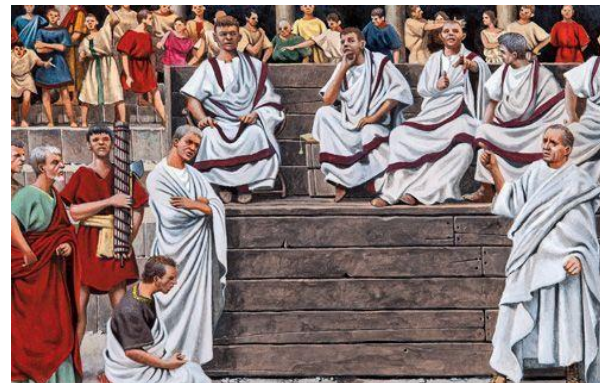


Fig. 12. ROC curves for 4-minute stabilized videos taken from VISION dataset.



Final thoughts

- ◆ We need to deepen our understanding and strengthen our hypotheses.
- ◆ Forensic \leftarrow Forensis \leftarrow Forum.
- ◆ We need more unbiased (meta)analyses, large-scale tests, and up-to-date databases.
- ◆ We need fresh approaches to address the curse of dimensionality, e.g., reinforcement learning.
- ◆ We need... to beat the future.





Thank you!

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